## Wave Refraction: Lenses



Definitions	<u>Equations</u>	Questions
Convex LensesThe object is beyond C: image will be an inverted image/reduced in size/realThe object is at C: image will be inverted/equal to the object size/real.The object is at C: image will be inverted/equal to the object is between C & F: image will be inverted/larger/real.The object is between C & F: image will be inverted/larger/real.The object is at F: When the object is located at the focal point, no image is formed.The object is in front of F: image will be upright/magnified/virtual. The image is located on the object's side of the lens.Concave Lenses Regardless of the position of the object the image will always be virtual/upright/ reduced in size. The image is located on the object's side of the lens by tracing the rays back to where they appear to come from.	$             \frac{1}{f} = \frac{1}{d_o} + \frac{1}{d_i}             $ Focal lengthfm $Diject distanced_omImage distanced_imm = \frac{d_i}{d_o} = \frac{h_i}{h_o}             Image distanced_im = \frac{d_i}{d_o} = \frac{h_i}{h_o}             Image heighth_im = \frac{d_i}{d_o} = \frac{h_i}{h_o}             Image heighth_ih_iHeight of the object.h_ih_iHeight of the image.m:Magnification – the ratio of height of object, h_o to height of image, h_iIf d_i is the same side as the object it is negativeImage height, h_i for a virtual image is negativeImage height for a concave lens is negative$	<ul> <li>THE ENLARGED EYE (2018;1)</li> <li>Sophie and her friend John were investigating magnifying glasses (convex lenses). Sophie laughed at the size that John's eye appeared when he placed the lens over his eye.</li> <li>(a) Complete the following ray diagram to show how John's eye (the object) appears enlarged, as in the photo. Clearly indicate its size and position.</li> <li>(b) The lens has a focal length of 12 cm. John holds the lens 5 cm from his eye. Calculate the distance the image is from the lens and state the nature of the image produced.</li> <li>(c) If the eye (object) has a height of 2.0 cm, calculate the magnification AND the height of the image of the eye.</li> </ul>
Terms         F: the focal length         C: the centre of curvature (where C = 2f)         Real image: An image generated by a lens that can be projected onto a screen         Virtual image: An image where light rays appear to originate from a lens; this image cannot be projected on a screen	<ul> <li>Tips Ray diagrams for convex lenses</li> <li>A ray parallel to the principal axis will be refracted through F behind the lens.</li> <li>A ray that passes through F in front of the lens will be refracted parallel to the principal axis.</li> <li>A ray that passes through the centre of lens (the pole) will continue with no change in direction.</li> <li>Ray diagrams for convex lenses</li> <li>A ray parallel to the principal axis will be refracted away from as if it has come from the focal point F in front of the lens.</li> <li>A ray that heading towards F behind the lens will be refracted parallel to the principal axis.</li> <li>A ray that passes through the centre of lens (the pole) will continue with no change in direction.</li> <li>REMEMBER – you do not need to draw all 3 rays. The first two are enough, and then you can use the 3<sup>rd</sup> ray as a check.</li> </ul>	(a) (b) $\frac{1}{d_o} + \frac{1}{d_i} = \frac{1}{f}$ (c) $\frac{h_i}{h_o} = \frac{d_i}{d_o}$ $\frac{d_i}{d_o} = 5 \text{ cm}$ $f = 12 \text{ cm}$ $\frac{1}{d_i} = \left(\frac{1}{12} - \frac{1}{5}\right)^{-1} = (0.117)^{-1}$ $\frac{h_i}{h_o} = m$ $h_i = m \times h_o = -1.71 \times 2 = -3.43 \text{ cm}$ Properties: upright, magnified and virtual.